# ML-NA: A Machine Learning based Node Performance Analyzer Utilizing Straggler Statistics

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Abstract—Current Cloud clusters often consist of heterogeneous machine nodes, which can trigger performance challenges such as the task straggler problem, whereby a small subset of parallel tasks running abnormally slower than the other sibling ones. The straggler problem leads to extended job response and deteriorates system throughput. Poor performance nodes are more likely to engender stragglers, and can undermine straggler mitigation effectiveness. For example, as the dominant mechanism for straggler alleviation, speculative execution functions by creating redundant task replicas on other machine nodes as soon as a straggler is detected. When speculative copies are assigned onto the poor performance nodes, it is hard for them to catch up with the stragglers compared to replicas run on fast nodes. And due to the fact that the performance heterogeneity is caused not only by static attribute variations such as physical capacity, but also dynamic characteristic uctuations such as contention level, analyzing node performance is important yet challenging. In this paper we develop ML-NA, a Machine Learning based Node performance Analyzer. By leveraging historical parallel tasks execution log data, ML-NA classies cluster nodes into different categories and predicts their performance in the near future as a scheduling guide to improve speculation effectiveness and minimize task straggler generation. We consider MapReduce as a representative framework to perform our analysis, and use the published OpenCloud trace as a case study to train and to evaluate our model. Results show that ML-NA can predict node performance categories with an average accuracy up to 92.86%.

Keywords—Node Performance, Straggler Problem, Machine Learning, Prediction.

## I. INTRODUCTION

Task execution performance is important to both system managers and service users when applications are developed on parallel computing platforms such as Hadoop [1]. For the former, the delayed execution can lead to decreased system availability and potential SLA (Service Level Agreement) breakdown; while for the latter, the unpredicted response will result in poor user satisfaction.

It is common to witness node failures in large-scale production systems such as machine crashes, and methods to deal with node failures have been widely discussed. However, besides node failures, node performance degradation also calls for research attention, as it can lead to serious challenges such as the straggler problem. Straggler problem proposed by [2]

describes the phenomenon when a small subset of outlier tasks perform extremely slower than the other sibling tasks within the same parallel job. Speculator is a built-in component in Hadoop [3] to deal with the straggler problem. Upon straggler detection, a redundant replica task will be launched on another node for execution. The result generated by the quickest task will be adopted while the other task will then be killed.

There are multiple behaviors that can trigger the straggler generation within cluster environments, including hardware heterogeneity [4], resource contention [5], background network traffic [6], I/O discord [7], data skew [8] and OS or application-level related causes [9]. Among the possible reasons, node performance heterogeneity is an important one. In this paper, node performance refers to the node's ability in terms of executing parallel applications.

Analyzing node performance is critical for straggler mitigation, and machine learning techniques pose a bright shade onto it. Through classifying nodes into different categories and predicting the corresponding performance category with high accuracy, the scheduler can select suitable nodes to launch latency-sensitive tasks, avoid assigning speculative tasks onto nodes that are likely to be in their weak performance state in the near future. Our contributions are summarized as follows:

- Analyzed node performance heterogeneity in a production cluster. With a case study of the OpenCloud system, we illustrate the straggler problem as well as how different nodes affect straggler generation. In addition, we demonstrate the challenge of modeling such heterogeneity, and show the necessity of leveraging task execution trace to measure nodes performance.
- Explored a series of features to describe node performance. These features are derived from task number per node values and statistics of normalized task executions. The former reflects the contention level while the latter captures relative processing speed of a node. A technique of conducting feature calculation in a time-incremental manner is developed to capture cumulative effects.
- Proposed ML-NA, a Machine Learning based Node performance Analyzer. This multi-stage framework can classify machine nodes into different categories depending on their performance through clustering. An automatic



labeling algorithm is developed in order to link the unsupervised learning with classification. Results show that, the average accuracy of using ML-NA to predict node performance category can reach as high as 92.86%.

The rest of the paper is structured as follows: Section 2 presents the background; Section 3 proposes the ML-NA algorithm; Section 4 presents the prediction results and corresponding evaluations; Section 5 surveys the related work; Section 6 discusses the conclusion and the future work.

#### II. BACKGROUND DESCRIPTION

In this section, the straggler problem will be discussed as well as the challenge of solving such problem caused by the node performance heterogeneity. All observations are based on data analytics results from the OpenCloud cluster.

### A. OpenCloud Overview

OpenCloud is a research cluster at the Carnegie Mellon University [10] that consists of 116 machine nodes running Hadoop platform. The cluster supports research activities for different departments within the University. OpenCloud released its task execution tracelog for public research covering the first nine months in 2012. There are 6 tables provided, from which task attempt history table contains the information of interest, such as jobID, tasktype, taskID, start / shuffle / sort / finish time of the task attempt (represented as UTC timestamp in milliseconds), status (success, failed or killed), and hostname. After filtering, 18,935 successful parallel jobs consists of 8,734,974 tasks were analyzed within this paper.

In addition, the machine nodes within this cluster are homogeneous in physical configurations [10], with each has a 2.8 GHz dual quad core CPU (8 cores), 16 GB RAM, 10 Gbps Ethernet NIC, and four Seagate 7200 RPM SATA disk drives. However, in reality, due to dynamic operational situations and different aging conditions, the execution performance of these machines exhibits a diverse trend. This further results in the straggler problem that threats the timely and predictable service response and deteriorates system availability.

## B. The Straggler Problem

In parallel computing frameworks such as Hadoop MapReduce [2], a job is divided into multiple subtasks running on

different nodes in order to achieve optimized response times. In this paper,  $T_j^i$  represents the  $i_{th}$  task from job  $J_j$ , and the cluster is composed of multiple machine nodes  $M_m$ . The scheduler is responsible for assigning tasks onto machines, while  $D_j^i$  denotes the duration of  $T_j^i$ .

It is assumed that tasks from the same job have similar durations, such as the map tasks in the MapReduce framework. Theoretically, mappers in the same job should have similar execution lengths due to identical HDFS block size. However in practice, after being assigned onto different nodes, these subtasks vary in their durations. Figure 1 shows three examples of MapReduce jobs with different sizes in the OpenCloud cluster, consisting of (a) 366, (b) 805, and (c) 1116 mappers respectively. The straggler problem occurs when the duration variation is large enough that the extreme slow tasks undermine overall job execution. In this paper, we define stragglers as tasks with estimated duration 50% larger than the average. This threshold is consistent with the majority of straggler mitigation literature such as [4] [6], and can be customized.

Stragglers occur due to resource contention, network congestion, input data skew, and most importantly, node performance heterogeneity. It is observable from Figure 1 that, with the red line representing the average duration for tasks assigned on each node from the same job, the ability for those nodes to execute parallel tasks are quite different. A few nodes incur more stragglers than the others, despite the fact that they have the same physical configurations.

## C. Challenge: Node Execution Performance Heterogeneity

Node performance heterogeneity is one of the most important factors that lead to the straggler problem. This heterogeneity is caused not only by physical capacity differences, but also system perturbations and partial upgrades. This section illustrates the challenge brought by such heterogeneity towards effective straggler toleration, and analyzed why the node performance analyzer is needed in order to mitigate stragglers.

1) Stragglers are not evenly distributed among cluster nodes: From task durations for different nodes shown in Figure 1, it is observable that some machines have a shorter average task processing time than the others, while some are either with a much longer average duration indicating a slower

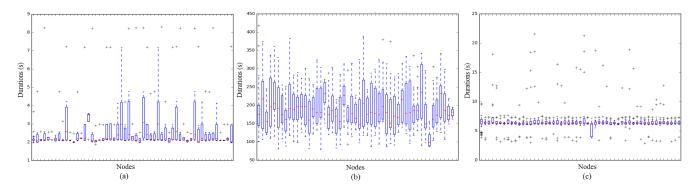


Fig. 1. Map Tasks Duration per Node from Job (a) ID=258, (b) ID=231, and (c) ID=136 in the OpenCloud Cluster

execution, or with a larger variation in time of processing tasks, showing an unstable performance.

Figure 2 (a) illustrates the straggler number per node distribution in the 9-month time, with machine IDs in each subfigure remaining the same. That is to say, the blank machines in some sub-figures reflect the fact that not all nodes are in use for the whole time, some are only turned on in certain months. For example, nodes with ID  $\in$  (80, 100] are used only in the  $5^{th}$  month. It is observable that, for each month, there are some nodes experiencing much more stragglers than the others (labeled with circles in Figure 2 (a)). Considering the homogeneous physical configuration of the OpenCloud cluster, this shows that node performance is not purely dependent on their capacities. And to note that, the nodes with a significantly larger number of stragglers change over month, revealing a dynamic nature of straggler generation.

Related works such as [11] use resource utilization instead of physical capacity. However, the node performance diversity is not solely dependent on contention or utilization as well. Figure 2 (b) shows the total task number per node distribution over the 9-month time. The number of tasks assigned is used to partially represent contention level of the node due to the lack of utilization data. We see that, during each month, the task number for each node is relatively even. The  $7^{th}$  month is the only exception, with three obvious busier nodes (labeled with circles). For the rest months, different straggler numbers are not due to contention. The node IDs in Figure 2 (b) are consistent through the 9 sub-graphs, same with Figure 2 (a).

2) The node performance is changing over time: Node performance in this paper refers to the node's ability in terms of executing parallel applications, therefore it is reasonable to analyze node performance based on task durations. In Cloud environments, multiple workloads with different designed length co-exist with each other. For example, the job in Figure 1 (a) is less than 10 seconds while Figure 1 (b)

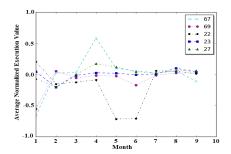


Fig. 3. Node Execution Performance Changing Trend

takes 450 seconds. That is to say, the raw task duration cannot directly be used to generate comparable results. To solve this problem, we proposed normalized execution value for tasks calculated in Equation (1) using the Z-score normalization.

$$\widetilde{D_j^i} = \frac{D_j^i - \overline{D_j}}{\sigma_j} \tag{1}$$

In this way, the duration variation brought by job types can be eliminated.  $\widetilde{D_j^i}$  reveals the relative speed of  $t_j^i$  compared to other tasks within  $J_j$ . A positive  $\widetilde{D_j^i}$  value represents a slower execution because the duration of  $t_j^i$  is larger than the job average, and the increment of the positive  $\widetilde{D_j^i}$  indicates an aggravated straggler behavior  $t_j^i$  exhibits. Vice versa, a negative  $\widetilde{D_j^i}$  indicates a shorter response, and the smaller the negative value, the quicker  $t_j^i$  performs.

We then collect all  $\widetilde{D_j^i}$  from tasks assigned in each node to reflect the quickness or slowness derived from different node performance rather than job heterogeneity. Statistics of  $\widetilde{D_j^i}$  values per node are calculated as the basic metrics to measure the node performance. Figure 3 gives five nodes as an example. Each line in the graph represents a node, with y-axis being the  $\widetilde{D_j^i}$  average for the specific month. It is observable that

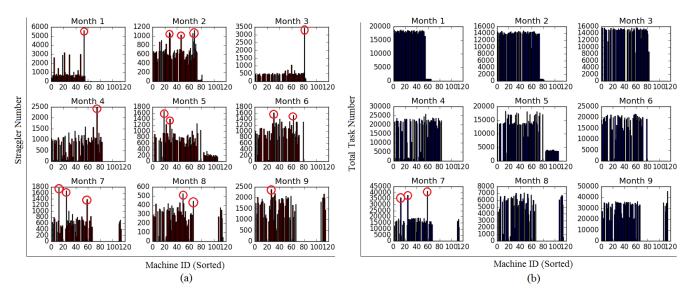


Fig. 2. (a) Straggler Number per Node Distribution, (b) Total Task Number per Node Distribution over the 9-Month Period

 $M_{22}$  outperforms the rest nodes in the  $5^{th}$  and the  $6^{th}$  month though exhibiting a smaller negative average  $\widetilde{D_j^i}$ , while  $M_{67}$  has a noticeably worse performance among these five nodes in the  $4^{th}$  month. Besides, there is no constant weak node throughout the 9-month time. For instance,  $M_{67}$  outperforms the others in the  $9^{th}$  month after it suffers in the  $4^{th}$  month.

3) Summary: As node performance is important in ensuring application timely response, to analyze its changing trend and make predictions based on historical patterns are vital in straggler mitigation. Machine learning techniques such as classification can be used to address the challenge of modeling such performance, with features reflected by the normalized workloads' durations. In addition, the time series produced by the trace can be used to intelligently predict the performance changing trend. By investigating the machine learning based analyzer, we are able to capture the evolutionary behavior of nodes' performance instead of simply using physical capacity nor contention indicators to determine a static performance.

## III. ML-NA: A MACHINE LEARNING BASED NODE PERFORMANCE ANALYZER

In this section we propose ML-NA, a machine learning based node performance analyzer. Key processes of feature selection and automatic labeling are herein discussed.

#### A. Feature Selection

As we discussed in the previous sections, the node performance is typically influenced by multiple features, thus selecting key indicators to represent the node's ability regarding parallel job execution is a vital process. In this paper, the parallel task execution trace is used to generate those key features. In particular, statistical attributes of the normalized task duration, task number, and timing attributes are adopted.

- 1) Statistical attributes: Node performance can be reflected by the statistical attributes of all tasks running on it within a certain time period. For example, if all tasks assigned to node  $M_1$  has an average  $\widetilde{D_j^i}$  of 2, we can infer that  $M_1$  is a weak performance node because most tasks assigned on  $M_1$  are stragglers in their own jobs, characterized by  $2*\sigma_j$  slower than their own average duration  $\overline{D_j}$ . And we can assume later tasks that are about to be assigned on  $M_1$  in the near future will have a possible relative speed around  $2*\sigma_j$  times slower as well. Other statistical attributes such as the standard deviation of all  $\widetilde{D_j^i}$  pertaining to each node can also be used to reflect the fluctuation range of the node performance, showing a stable or random possibility of  $\widetilde{D_j^i}$  in the certain node.
- 2) Task number: Apart from the statistical attributes derived from the  $\widetilde{D_j^i}$  distribution per node, task number is the other important feature that we use to describe the node performance. It implies the node's contention state and reflects the impact of such contention toward job execution rapidness. In addition, the normalized task number compared with all the other machine nodes in the cluster is used rather than the raw task number. This is because we intend to constrain the selected features into a similar range, which lays the foundation for further operations such as the clustering process.

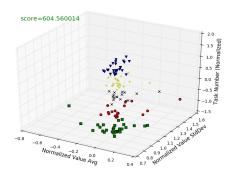


Fig. 4. Clustering Results with Three Features (k = 5)

The three basic meta-features selected to build up the node performance analysis model are the average and the standard deviation of all  $\widetilde{D}_{j}^{i}$ s from tasks per node, as well as the normalized task number. An example of leveraging these three meta-features to clustering nodes into 5 categories using k-means [12] is shown in Figure 4. Machine nodes within the same clusterization group have similar execution performance.

3) Timing attributes: Considering the fact that sometimes performance degradation is caused by time-cumulative impacts, ML-NA adopted another feature dimension: timing attributes. To be specific, we divided the trace into 9 month according to the job submission time. Each month contains 30 days' data (ignoring the fact that natural months are slightly different in day numbers). Within each month, we construct the input into dataset consists of following 91-tuples:

$$\begin{split} & <\!\!M_{id}, avg\{\widetilde{D}^{i}_{j\,day1}\}, \sigma\{\widetilde{D}^{i}_{j\,day1}\}, norm\{N\_task_{day1}\}, \\ & avg\{\widetilde{D}^{i}_{j\,day2}\}, \sigma\{\widetilde{D}^{i}_{j\,day2}\}, norm\{N\_task_{day2}\}, \cdots, \\ & avg\{\widetilde{D}^{i}_{j\,day30}\}, \sigma\{\widetilde{D}^{i}_{j\,day30}\}, norm\{N\_task_{day30}\} > \end{split}$$

Within this 91-tuple,  $avg\{\widetilde{D}^i_{j\,day1}\}$  and  $\sigma\{\widetilde{D}^i_{j\,day1}\}$  represent the average and the standard deviation of all tasks' normalized value assigned onto the machine  $M_{id}$  in day1;  $norm\{N\_task_{day1}\}$  stands for the normalized task number on machine  $M_{id}$  compared with all other nodes within the cluster in day1. To note that,  $avg\{\widetilde{D}^i_{j\,day2}\}$ ,  $\sigma\{\widetilde{D}^i_{j\,day2}\}$ , and  $norm\{N\_task_{day2}\}$  are calculated based on all tasks submitted in both day1 and day2 together rather than day2 itself. In other words, this timing attribute calculation is performed in a cumulative manner. Similarly for day30, the results are derived from the whole month's data rather than a single day.

## B. The Automatic Labeling Algorithm

A labeling process is required by ML-NA because the trace data does not contain node performance indicators, while the labeled data is needed in order to train the classification model. Previously to label a weak node is a manual process that depends on the system administrator. In ML-NA, we proposed an automatic labeling algorithm that utilizes the generated features to objectively discriminate weak performance nodes from the normal ones within the cluster.

1) **Clustering**: The first step to label the nodes is to put the nodes with similar performance into the same group. In this scenario, clustering is the most well-known technique that can be used, and k-means is one of the simplest whilst very effective clustering algorithms [12].

The key parameter for launching k-means is to find the optimal k value: it should be sufficiently large to reduce the number of nodes within each group, so that we can separate the minority (weak performance nodes) from the majority (the normal ones), yet maintaining the best clustering results such as high calinski-harabaz score [13]. The calinski-harabaz score measures the covariance within each cluster and the covariance among different clusters. Higher calinski-harabaz score signifies a superior clustering result. Figure 5 demonstrates the score variation when k is changing from 2 to 10 using only two attributes to represent node performance. In this example, for the clarity of figure description, only two features are included, while in ML-NA, 90 features (except  $M_{id}$  in the 91-tuple) are used in order to conduct the clustering.

Table I details the calinski-harabaz scores when k is ranging from 2 to 10 for each month. In this paper we specify the maximum clustering number to be 10 when exploring the optimal k based on the observation that desirable proportion of weak performance nodes can be sorted out. This number can be easily customized according to different purposes. From the table it is observable that most optimal ks are the ones with the highest score. However, for the  $7^{th}$ ,  $8^{th}$  and  $9^{th}$  month, the optimal k is different. This is due to the optimal k generated by the score is not big enough to differentiate a proper proportion of "weak" nodes set (leading to a negative sample percentage above 25%). Under this circumstance, the second largest score with a greater k will be chosen.

- 2) **Labeling**: After putting the nodes with similar performance into k groups, we then need to determine which cluster represents the weakest performance group. Conventional labeling needs manual practice conducted by the system administrator, which suffers from operational inefficiency, and the subjective may lead to misidentification. To cope with it, an automatic labeling algorithm is proposed in ML-NA. Two heuristic ranking criteria are adopted to make this decision:
  - [C1]: The weakest performance nodes should have the

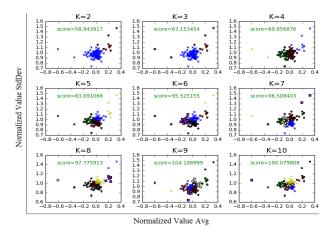


Fig. 5. Different K Clustering Results with Two Features

most number of positive  $avg\{\widetilde{D^i_{j,dayN}}\}\ (N\in[1,30]).$ 

The number of positive  $avg\{\widetilde{D^i_{j_{day}N}}\}$  is the primary indicator when judging whether a specific group contains weak performance nodes. According to Equation (1), a positive  $\widetilde{D^i_{j}}$  signifies a straggler. Therefore, for node  $M_{id}$ , a positive  $avg\{\widetilde{D^i_{j_{day}N}}\}$  indicates a high likelihood of straggler occurance. As a result, the number of positive  $avg\{\widetilde{D^i_{j_{day}N}}\}$  can be used to imply the frequency of the node to exhibit such slow tendencies in a month time.

• [C2]: If multiple cluster centers have the same number of positive  $avg\{\widetilde{D}^i_{j\,dayN}\}$ , then smallest  $\sigma\{\widetilde{D}^i_{j\,dayN}\}$  suggests the worst performance  $(N\in[1,30])$ . The  $\sigma\{\widetilde{D}^i_{j\,dayN}\}$  value implies the confidence when predicting node performance, because it represents a stable or random status. A small  $\sigma\{\widetilde{D}^i_{j\,dayN}\}$  indicates a concentrated  $\widetilde{D}^i_j$  distribution for node  $M_{id}$ . Thus, for nodes that have already shown a slow tendency (e.g. with maximum positive  $avg\{\widetilde{D}^i_{j\,dayN}\}$  number according to [C1]), smaller average  $\sigma\{\widetilde{D}^i_{j\,dayN}\}$  means a higher chance for this group to be classified as the weakest type.

The labeling algorithm is presented in Algorithm 1 following the above two heuristics. Label "1" represents the negative

TABLE I THE K VALUE CHOICES

	The 1st Month	The $2^{nd}$ Month	The $3^{rd}$ Month	The $4^{th}$ Month	The $5^{th}$ Month
Calinski Harabasz Score	2:252.05; 3:219.60;	2:1449.31; 3:968.79;	2:128.80; 3:107.89;	2:428.35; 3:452.37;	2:345.36; 3:257.99;
	4:212.24; 5:241.34;	4:778.84; 5:767.33;	4:110.40; 5:153.44;	4:446.41; 5:373.91;	4:280.71; 5:296.65;
	6:267.97; 7:357.94;	6:762.84; 7:762.31;	6:200.49; 7:275.37;	6:333.96; 7:302.50	6:297.33; 7:333.09;
	8:389.98; 9:447.72	8:761.51; 9:741.02	8:357.01; 9:393.83	8:288.48; 9:285.85	8:324.92; 9:316.74
Optimal K	9	2	9	3	7
Sample(-)%	18.46%	13.70% 3.23%		8.45%	17.53%
	The 6 <sup>th</sup> Month	The 7 <sup>th</sup> Month	The 8 <sup>th</sup> Month	The 9 <sup>th</sup> Month	
Calinski	2:124.19; 3:121.24;	2:68.39; 3:154.48;	2:90.36; 3:92.16;	2:107.25; 3:123.62;	
Harabasz Score	4:121.23; 5:124.35;	4:124.28; 5:113.03;	4:84.52; 5:77.26;	4:107.18; 5:97.08;	
	6:133.90; 7:131.06;	6:105.02; 7:98.69;	6:67.87; 7:69.39;	6:95.62; 7:86.36;	
	8:124.73; 9:119.51	8:97.83; 9:94.52	8:64.08; 9:64.63	8:83.89; 9:81.18	
Optimal K	6	4	4	4	
Sample(-)%	21.43%	13.21%	12.50%	10.34%	

#### ALGORITHM 1: Labeling Algorithm

```
Inputs
             Training sets data = \{ \langle M_{id}, Avg_{day_1}, ..., Num_{day_{30}} \rangle \}
            Optimal K from K-means process
   Output:
              Labelled sets\{\langle Label, M_{id}, Avg_{day_1}, ..., Num_{day_{30}} \rangle \}
 1 Categories = kmeans(n_clusters = K, data = data);
   for each center in Categories do
        for Avg_{day_j}, StDev_{day_j} in center. AttributeList do | pos_counts = count the number of j, Avg_{day_j} > 0
3
4
              stdev_avg = calculate the average of <math>StDev_{day_i}
5
         end
   end
7
   WeakIndexList = Categories.indexof(max(pos\_counts));
   WeakIndex = WeakIndexList.indexof(min(stdev_avg));
10 for each node in data do
         if Category(node) == Categories.indexof(WeakIndex) then
11
              Label = 1;
12
         else
13
              Label = 0:
14
        end
15
        node = node.insert(Label);
16
17 end
18 return data
```

sample of weak nodes, and "0" indicates the positive sample of nodes that exhibit normal performance. To note that, the primary purpose of this paper is to model and predict the weak nodes to avoid straggler generation, therefore binary labels are adopted. According to different usage, a set of labels corresponds to multiple performance levels can be adopted.

#### IV. NODE PERFORMANCE CLASSIFICATION PREDICTION

ML-NA is a multi-stage learning procedure that predicts node performance based on classification while labeled data is fed into the classifier as input. This section details the node performance category classification and prediction results.

## A. Boosting Based Classifier

There are a lot of classification algorithms [12] such as SVM, Boosting, Decision Tree, Random Forest, and Naive Bayes, etc. Each algorithm emphasizes specific attributes from the training data to get the optimal performance. For example, the Bayesian classifier requires all the attributes to be independent of each other (the attributes  $x_k$  should fulfill Equation (2), with  $C_i$  to be a given condition).

$$P(X|C_i) = \prod_{k=1}^{n} P(x_k|C_i) = P(x_1|C_i) \times ... \times P(x_n|C_i)$$
 (2)

Table II shows the precision, recall and accuracy when adopting different prevailing classification algorithms onto the OpenCloud datasets with automatic labeling to predict performance category. Parameters used are the default value in the Python scikit-learn library [13], and the cross-validation portion is 1/3. It is observable that the Naive Bayes classifier performs significantly worse than others. This is because, in our training set, the features (elements in the 91-tuple except  $M_{id}$ ) are correlated (i.e., they are generated in an incremental manner according to time). This is consistent with the aforementioned limitation of the Bayesian classifier. Within this paper, XGBoost [14] is adopted to realize the classification analysis.

TABLE II
ALGORITHM COMPARISIONS

	Precision	Recall	Accuracy
Random Forest	89.47%	58.62%	92.86%
SVM	100%	6.9%	86.22%
Ada Boosting	78.95%	51.72%	90.82%
Decision Tree	62.96%	58.62%	88.78%
Naive Bayes	16.67%	27.59%	68.88%
XGBoost	82.61%	65.52%	92.86%

#### B. Prediction Results and Evaluations

Different parameter settings are tested to train the XGBoost model, main parameters tuned are learning rate  $\eta$ , evaluation metric, and gbtree depth. Table III detailed the optimal prediction result from all testing cases, with  $\eta$  being 0.1 and the maximum depth of the gbtree booster being 12. The logloss value calculates the negative log-likelihood is adopted as the evaluation metric. The results of different data sizes are compared in the form of a sliding window to test the sensitiveness towards training sizes. For example, (1,2) in Table III represents the prediction result for node performance category in the  $2^{nd}$  month through using training data in the  $1^{st}$  month. Additionally, (1+...+8,9) represents the prediction result for the  $9^{th}$  month by using a combined training data from the  $1^{st}$  to the  $8^{th}$  month (a much larger training size).

The numbers in Table III are prediction accuracies calculated following Equation (3), where TP stands for true positive, TN is short for true negative. Similarly, FP and FN are abbreviations of false positive and false negative respectively. The average and standard deviation of accuracies for each training size are recorded in the table as well.

$$Accuracy = \frac{TP + TN}{TP + FN + FP + TN} \tag{3}$$

Figure 6(a) concludes the minimal, average and maximum accuracies when predicting each month's node performance categories utilizing different training sizes with the optimal parameter setting. Figure 6(b) shows a example of results from another parameter setting, with  $\eta=0.3$ , gbtree depth being 9, and *error* represents classification error rate being the evaluation metric. The numbers listed in the figure are the average values, and it is observable that, the parameter settings in Table III surpasses the other testing case with much higher prediction

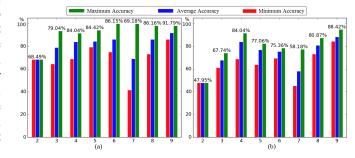


Fig. 6. Node Classification Prediction Accuracy for Each Month, with (a) Optimal Parameters used in Table III, and (b) Comparable Parameter Settings.

TABLE III MODEL PREDICTION RESULTS WITH PARAMETER SETS OF  $\eta=0.1$ , MAX\_DEPTH = 12, EVAL\_METRIC = LOGLOSS

	(1,2)	(2,3)	(3,4)	(4,5)	(5,6)	(6,7)	(7,8)	(8,9)	Average	StDev
Accuracy	68.49%	93.55%	91.55%	79.38%	78.57%	45.28%	87.50%	86.21%	78.82%	0.15
	-	(1+2,3)	(2+3,4)	(3+4,5)	(4+5,6)	(5+6,7)	(6+7,8)	(7+8,9)	Average	StDev
Accuracy	-	64.52%	91.55%	82.47%	78.57%	41.51%	83.93%	87.93%	75.78%	0.16
	-	-	(1+2+3,4)	(2+3+4,5)	(3+4+5,6)	(4+5+6,7)	(5+6+7,8)	(6+7+8,9)	Average	StDev
Accuracy	-	-	69.01%	81.44%	75.00%	50.94%	73.21%	91.38%	73.50%	0.12
	-	-	-	(1++4,5)	(2++5,6)	(3++6,7)	(4++7,8)	(5++8,9)	Average	StDev
Accuracy	-	-	-	94.37%	100%	100%	92.45%	98.21%	97.01%	0.03
	-	-	-	-	(1++5,6)	(2++6,7)	(3++7,8)	(4++8,9)	Average	StDev
Accuracy	-	-	-	-	98.59%	100%	98.21%	94.33%	97.78%	0.02
	-	-	-	-	-	(1++6,7)	(2++7,8)	(3++8,9)	Average	StDev
Accuracy	-	-	-	-	-	77.36%	82.14%	94.83%	84.78%	0.07
	-	-	-	-	-	-	(1++7,8)	(2++8,9)	Average	StDev
Accuracy	-	-	-	-	-	-	85.71%	89.66%	87.69%	0.02
	-	-	-	-	-	-	-	(1++8,9)	Average	StDev
Accuracy	-	-	-	-	-	-	-	92.86%	92.86%	0

accuracy. With proper parameter tuning, the prediction results for most months exceed 85%, and with proper training sizes, the highest prediction results for most months are above 90%. Under some cases, the highest accuracy when predicting next month's node performance category even reaches 100%.

Despite the peak accuracy ML-NA can achieve, there are still some low accuracy results under extreme cases. The worst results occur when predicting node classification for the  $2^{nd}$  and the  $7^{th}$  month. The reason behind the low accuracy for the  $2^{nd}$  month is relatively straight forward - the insufficient training size. When predicting the node categories for the  $2^{nd}$  month, we can merely collect data from the  $1^{st}$  month. In fact, the prediction accuracy based on only one month's training data tends to be limited for most months. The numbers are shown in the first row in Table III. Most accuracies are below 80% such as the prediction pair of (1,2), (4,5), (5,6), and (6,7).

For the low accuracy occur in the  $7^{th}$  month, it is due to the special characteristics of the input data. Figure 7 shows the first 10 lines for the training set, from which we see that, features  $avg\{\widetilde{D_{j\,day1}^i}\}$ ,  $\sigma\{\widetilde{D_{j\,day1}^i}\}$ , and  $norm\{N\_task_{day1}\}$  to  $avg\{\widetilde{D_{j\,day3}^i}\}$ ,  $\sigma\{\widetilde{D_{j\,day3}^i}\}$ , and  $norm\{N\_task_{day3}\}$  in the 91-tuple are NaN. This is due to that, for the first three days of the  $7^{th}$  month, there are no tasks been submitted to the system, leading to a blank value for those feature columns. These unexpected NaNs form a noticeable different pattern, leading to a low prediction accuracy for the classification model generated by ML-NA.

This result reveals a limitation of the proposed ML-NA algorithm: it can only predict node performance with high accuracy when there are jobs running in the system. Sudden reduce in task numbers may influence the algorithm performance. However, we believe this is a loose assumption that most production cluster can achieve.

36 NAN NAN NAN NAI 33 NAN NAN NAN NAI 34 NAN NAN NAN NAI 39 NAN NAN NAN NAI	N NaN NaN NaN NaN NaN -0.07588	0.90854 0.885730.15319	90 0.86111 -0.12736 0.90579 0.45097 0.98945 -0.01354 0.94401 0.36379 0.99502 -1.21091 0.98418 3.59088
43 NAN NAN NAN NAI 42 NAN NAN NAN NAI	N NAN NAN NAN NAN NAN -0.03297 N NAN NAN NAN NAN NAN -0.07415 N NAN NAN NAN NAN NAN -0.03745 N NAN NAN NAN NAN NAN 0.00280	0.85258 0.59729 · · · · -0.15484 0.76869 0.66940 · · · -0.04359 1.08879 0.86770 · · · 0.08869	0.94564 0.23962 1.02541 0.36974 0.93472 0.30908 0.94819 0.10963

Fig. 7. Training/Evaluation Segment for the  $7^{th}$  Month with NaN Attributes

#### V. RELATED WORK

Mitigating stragglers has become an important challenge in improving parallel job performance, especially considering the fact that most production clusters are composed of heterogeneous machines. The straggler problem is observed when a small subset of parallelized tasks performing much slower in comparison with other sibling tasks from the same job, incurring a significant delay towards final job completion. Stragglers stem from numerous causes including hardware heterogeneity [4], resource contention [5], network traffic [6], I/O discord [7], data skew [8] and application related sources [9].

There are numerous work that analyzes the straggler influence toward system performance: Jeffrey et al. [15] demonstrate that the slowest 5% of completed requests are responsible for half of the total  $99^{th}$  percentile latency, and there exists a positive correlation between straggler probability and cluster size, concluding that the possibility of longer latency will increase with the growth of system scales. Ananthanarayanan et al. [6] show that 80% of stragglers exhibit a delay between 150%-250% compared to the median duration, with 10% exhibiting a larger than 10 times response slowdown.

Among the straggler mitigation techniques, speculation [16] is the dominant method. It predicts stragglers based on task progress score and launch redundant copies for re-execution on different machines. LATE [4] is the most widely used speculation based method that designed for heterogeneous environments. It uses estimated duration as the metric to measure stragglers rather than progress score. MARLA [17] is also designed for heterogeneous clusters, re-configures MapReduce through delaying the binding of data to worker process. Some speculation variations use machine learning in revealing the correlation between task execution time and node level statistics such as the CPU/memory utilization. In [11], the historical data on each node is used to predict the possibility of stragglers through performing regression, while [18] presents a slowdown predictor using machine learning to forecast how much slower a task will run compared to similar tasks. Wrangler [19] predicts stragglers using linear modeling based on cluster resource usage counters, and [20] further enhances the time-consuming data collection process of Wrangler through proposing multi-task learning formulations.

Current straggler mitigation techniques are focused more on application perspective, selecting the best task candidates to create the replications, however, ignoring the impact of nodes. In reality, node performance plays a vital role in straggler generation. Xu et al. [21] report that poor response time in EC2 is a property of nodes, and this property is both pervasive throughout EC2 and persistent over time. Therefore, it is particularly important to avoid scheduling speculative tasks to the nodes that are about to experience performance fall. [22] proposes a node performance ranking algorithm that identifies 0.83% of weakest nodes within Google cluster based on job execution. However, this method is offline analysis and does not generate a prediction that can guide future task assignment.

In terms of intelligent placement of replicas on nodes, Chen et al. [7] consider both data locality and data skew, develop a cost-benefit model based on the load of a cluster. This method leverages data analytics to identify weak nodes, but it assumes node performance is a static characteristic that remains constant within the cluster, while transient system conditions including resource contention level, workload heterogeneity and user demand will actually influence the performance of the node to fluctuate over time.

#### VI. CONCLUSION

Analyzing and predicting node performance is important in guaranteeing efficient job execution. It facilitates the deployment of tasks by avoiding assigning them to the node that is likely to be in its weak performance phase in the near future. For straggler mitigation mechanisms such as speculative execution, it provides a guidance on the suitable node candidates that are ideal for launching replications. The main contributions of this paper are summarized as follows.

Firstly, we analyzed the node performance heterogeneity based on the OpenCloud tracelog data regarding parallel task execution. Different from literature that purely focuses on either physical capacity differences or utilization variations, we describe and measure the nodes' performance using straggler statistics, which directly reflect the influence the heterogeneity exert on efficient job responses. Secondly, we explored a series of features to describe node performance and developed an automatic labeling algorithm to generate accurate and objective labels for different performance categories. Through leveraging normalized task execution times and task number per node values, statistical characteristics and timing attributes, we calculated the features to capture node execution ability. Finally, we proposed ML-NA, the node performance analysis framework that classifies machine nodes into categories. Prediction results show that ML-NA is capable of predicting node performance categories with an average accuracy up to 92.86%. This can further benefit the scheduler via blacklisting nodes that are likely to be in their weak performance state in the following scheduling window.

Besides above contributions, future works including integrating the proposed ML-NA algorithm into cluster scheduling

decision-making components such as the resource manager in YARN system. And to improve its ability in handling limitation situation when no tasks are submitted.

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